Sensing in Social Spaces

Project Ideas (Continued)

A Smart City Application: Sustainable Transportation

Path 2

Path 1 \rightarrow

Collision Location

Vehicle 2











Transportation

EPA Statistics (USA)

- 200 million light vehicles on the streets in the US
- Each is driven 12000 miles annually on average
- Average MPG is 20.3 miles/gallon
- 118 Billion Gallons of Fuel per year!
- Savings of 1% = One Billion Gallons

GreenGPS: Fuel Efficient Vehicular Navigation

- Find the most fuel-efficient route (instead of a fastest or shortest)
- Fuel-efficient route is *different* from shortest or fastest route
 - Congestion → shortest may not be fuel efficient
 - MPG vs. speed is non-linear → fastest may not be fuel efficient







Fuel Consumption Model

- Simple model for fuel consumption derived from first principles
- The model is then is approximately recast in terms of easily measurable crowdsensed parameters (e.g., locations of stop signs, traffic lights, speed limits, and actual traffic conditions)

$$gpm = k_1 m \bar{v}^2 \frac{ST + \nu TL}{\Delta d} + k_2 m \frac{\bar{v}^2}{\Delta d} + k_3 m \cos(\theta) + k_4 A \bar{v}^2 + k_5 m \sin(\theta)$$

$$F_{engine} = \frac{\Gamma(\omega) Gg_k}{r}$$

Error Distribution in Fuel Prediction



Fuel Consumption Examples

 Experiments on five cars, each does four round-trips between 2 landmarks in Urbana-Champaign on fastest and shortest routes, showing that neither wins consistently in being energy-optimal

Car	Route	Better Route	Difference
Honda Accord	Home1 to Mall	Shortest	31.4%
2001	Home1 to Gym	Shortest	19.7%
Ford Taurus 2001	Home2 to Restaurant	Shortest	26%
Toyota Celica 2001	Home2 to Work	Fastest	10.1%
Nissan Sentra 2009	Home3 to Clinic	Fastest	8.4%
Honda Civic 2002	Home4 to Work	Fastest	18.7%

End Result: Fuel Savings

The bottomline: percentage of fuel is saved over fastest, shortest, and GarminEco routes:





Extrapolation from Sparse Data (Conditions of Sparse Deployment)

Extrapolation from Sparse Data





Fuel consumption of A few cars driven on a few roads



Generalization and Modeling

- Regression modeling:
 - Problem: one size does not fit all. Who says that Fords and Toyotas have the same regression model?
- Regression model per car?
 - Problem: Cannot use data collected by some cars to predict fuel consumption of others.
- Challenge: Must jointly determine both (i) regression models and (ii) their scope of applicability, to cover the whole data space within an acceptable modeling error.

Idea: Data Clustering (Using Data Cubes)

- Data cubes are clustering technique that groups all crowdsensed data according to several *alternative* dimensions (clustering policies) such as by car make, model, or year.
- A regression model is then derived for resulting clusters
- Different clustering policies are evaluated in terms of their fuel prediction error to determine the best policy
- When a navigation request from a new vehicle arrives:
 - The best clustering policy is used to add the vehicle to existing clusters
 - The regression model for this cluster is used to predict the vehicle's fuel consumption

The Regression Cube Model

- Data cells correspond to:
 - Output attributes $Y_c = \{y_i\}$
 - Each associated with k input attributes $x_{i1}, \ldots, x_{ik}, X_c = \{x_{ij}\}$
- Data cells store the following measures:
 - Regression model coefficients:

$$\hat{Y}_c = X_c \hat{\eta}_c$$

Regression modeling error:

$$Err_c = (Y_c - X_c\hat{\eta}_c)^T (Y_c - X_c\hat{\eta}_c)$$

Example of Regression Cubes



- Goal: predict fuel consumption
 - Group by make, model, or year

Example of Regression Cubes



Example of Regression Cubes



Data Cell Measures

- Main challenge: compute data cell measures recursively and without reprocessing raw data
- Measures can be classified as:
 - Distributive $-f(x_1, x_2, x_3) = f(f(x_1, x_2), x_3)$ Efficient
 - Examples: sum, count
 - Algebraic/Compressible An algebraic combination of distributive functions - Efficient
 - Example: average = sum/count
 - Holistic Reprocess raw data Inefficient
 - Example: median

The Challenge in Regression Cubes

 Main problem: Model parameters and estimation error are not distributive

$$\hat{Y}_c = X_c \hat{\eta}_c$$

$$Err_c = \left(Y_c - X_c \hat{\eta}_c\right)^T \left(Y_c - X_c \hat{\eta}_c\right)$$

An Efficient Representation

Compressed representation of a cell c:

- $\rho_c = Y_c^T Y_c$
- $\Theta_c = X_c^T X_c$ $\nu_c = X_c^T Y_c$

 \square n_c

- : scalar value
- $\Theta_c = X_c^T X_c$: vector of size k
 - : *k* by *k* matrix
 - : number of samples

$$\rho_{c} = \sum_{i=1}^{m} \rho_{i} \qquad \nu_{c} = \sum_{i=1}^{m} \nu_{i} \qquad \Theta_{c} = \sum_{i=1}^{m} \Theta_{i} \qquad n_{c} = \sum_{i=1}^{m} n_{c_{i}}$$
These matrices are distributive measures

An Efficient Data Cube for Fuel Consumption Regression Models

Model coefficients:

$$\hat{\eta}_c = (X_c^T X_c)^{-1} X_c^T Y_c = \Theta_c^{-1} \nu_c$$

Error:

$$Err_{c} = (Y_{c} - X_{c}\hat{\eta}_{c})^{T}(Y_{c} - X_{c}\hat{\eta}_{c}) =$$

$$Y_{c}^{T}Y_{c} - (X_{c}\hat{\eta}_{c})^{T}Y_{c} - Y_{c}^{T}X_{c}\hat{\eta}_{c} + (X_{c}\hat{\eta}_{c})^{T}X_{c}\hat{\eta}_{c} =$$

$$\rho_{c} - \hat{\eta}_{c}^{T}\nu_{c} - \nu_{c}^{T}\hat{\eta}_{c} + \hat{\eta}_{c}^{T}\Theta_{c}\hat{\eta}_{c}$$

 Model coefficients and regression error are compressible measures

- Independently find the set of model parameters, L, for each cell, such that:
 - The cell is reliable
 - Corresponding error is minimized
 - Challenge: Exponential number of Ls

Attributes Velocity (v) Mass (m) Frontal area (A) Stop signs (S)

	Error	Reliable
$L = \{v\}$	0.031	yes
$L = \{m\}$	0.152	yes
$L = \{A\}$	0.043	yes
$L = \{S\}$	0.056	yes

Computing data Cell Confidence

- Measure of confidence:
 - Probability at which the actual coefficients are far from the estimate

$$Pr[||\hat{\eta}_{c} - \eta_{c}|| > \delta]$$

$$Pr[||\hat{\eta}_{c} - \eta_{c}|| > \delta] \le \frac{k\sigma^{2}}{\delta^{2}\lambda_{min}(X_{c}^{T}X_{c})}$$

$$\hat{\sigma}^{2} = \frac{Err_{c}}{n_{c}}$$

Reliable Cell:

$$\frac{k\hat{\sigma}^2}{\delta^2\lambda_{min}(\Theta_c)} < 0.05$$

- Independently find the set of model parameters, L, for each cell, such that:
 - The cell is reliable
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 - Challenge: Exponential number of *L*s

Attributes		
Velocity (v)		
Mass (m)		
Frontal area (A)		
Stop signs (S)		

	Error	Reliable
$L = \{v\}$	0.031	yes
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- Independently find the set of model parameters, L, for each cell, such that:
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 - Corresponding error is minimized
 - Challenge: Exponential number of *Ls*



		Error	Reliable
•	$L = \{v, m\} \\ L = \{v, A\} \\ L = \{v, S\}$	0.021 0.030 0.028	no yes yes



- Independently find the set of model parameters, L, for each cell, such that:
 - The cell is reliable
 - Corresponding error is minimized
 - Challenge: Exponential number of *Ls*



	Error	Reliable
 L = {v, m} L = {v, A} L = {v, S} 	0.021 0.030 0.028	no yes <mark>yes</mark>



Frontal area (A) Stop signs (S)

- Independently find the set of model parameters, L, for each cell, such that:
 - The cell is reliable
 - Corresponding error is minimized
 - Challenge: Exponential number of *L*s

$$\begin{array}{c|c} L = \{v\} \\ L = \{m\} \\ L = \{M\} \\ L = \{A\} \\ L = \{S\} \end{array} \xrightarrow{} \begin{array}{c} L = \{v, m\} \\ L = \{v, A\} \\ L = \{v, S, A\} \end{array} \xrightarrow{} \begin{array}{c} Error \\ 0.024 \\ 0.026 \end{array} \xrightarrow{} \begin{array}{c} no \\ no \end{array}$$

- Independently find the set of model parameters, L, for each cell, such that:
 - The cell is reliable
 - Corresponding error is minimized
 - Challenge: Exponential number of *L*s

$$\begin{array}{c} L = \{v\} \\ L = \{m\} \\ L = \{M\} \\ L = \{A\} \\ L = \{S\} \end{array} \xrightarrow{} \begin{array}{c} L = \{v, m\} \\ L = \{v, A\} \\ L = \{v, S\} \end{array} \xrightarrow{} \begin{array}{c} L = \{v, S, m\} \\ L = \{v, S, A\} \\ L = \{v, S\} \end{array}$$

Reduced Model: {v, S}

Accuracy Results

- The sampling regression cube improves prediction accuracy significantly
- A regression cube without model reduction is even worse than a single model!



Problem: Traffic Regulator Mapping

Cell phones in vehicles were used as the sources (whose reliability is unknown) Stopped for 2-10 seconds? → Stop sign

Stopped for 40 seconds – 1 minute? \rightarrow Traffic light

All reports were fed to a data cleaning/clustering service to determine their probability of correctness

Resulting predictions were compared against ground truth

Social Channel "Decoding" A Maximum Likelihood Estimation Problem



Traffic Regulator Mapping From GPS Data



Traffic Light Location Detection

Experiment setup:

34 drivers, 300 hours of driving in Urbana-Champaign
1,048,572 GPS readings, 4865 claims generated by phone
(3033 for stop signs, 1562 for traffic lights)

Traffic Regulator Mapping From GPS Data



Stop Sign Location Detection

Experiment setup:

34 drivers, **300** hours of driving in Urbana-Champaign **1,048,572** GPS readings, **4865** claims generated by phone (3033 for stop signs, 1562 for traffic lights)

Traffic Regulator Mapping (Enhanced) Understanding Silence







	Original EM	Improved EM
Average Source Reliability Estimation Error	10.19%	7.74%
Number of Unbounded Sources	3	1
Number of Correctly Iden- tified Traffic Lights	31	36
Number of Mis-Identified Traffic Lights	2	3

Traffic Regulator Mapping (Enhanced) Understanding Silence







	Original EM	Improved EM
Average Source Reliability Estimation Error	20.06%	14.32%
Number of Unbounded Sources	5	1
Number of Correctly Iden- tified Traffic Lights	127	139
Number of Mis-Identified Traffic Lights	25	24

Example with Time-varying Ground Truth State

Estimating empty parking spots from unreliable observers



Problem: Cleaning Noisy Speed Data





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The Age of Social Broadcast



The Age of Social Broadcast O(n)O(n)flickr O(n) $O(n^2)$ facebook You Tube The Present $O(n) \rightarrow O(n^2)$

Challenge: Extractive Summarization

Build a data service that allows applications to retrieve (extractive) data summaries at arbitrary levels of granularity in accordance with an application-specific redundancy metric

Customizability: The Distance Metric

















Summarization



A Network Paradigm Shift

Communication \rightarrow Information Distillation

The data fire-hose effect

Present NetworksGoal:

Communication

- Maximizes bit throughput between end-points
- Most data is "logical"
- Protocols geared primarily for point-to-point communication
- Data loss may be a problem

Future Distillation Networks
 Goal:
 Information Distillation

- Maximizes information flow
- Much data is "physical"
- Protocols geared for data filtering, and aggregation
- Data loss may be a feature intended to reduce less informative bits

A Primary Network Design Challenge

How to build networks that maximize useful information flow from the physical world?

















 Determine transmission order?

Coverage-monotonic scheduling



Note: Coverage can be defined in an abstract feature space

Coverage-monotonic scheduling

A Disaster Response Scenario

A big disaster strikes a city...

Images are collected from the Internet



Hurricane Katrina 2005



Nepal earthquake 2015



Thailand flood 2011

- Volunteers are recruited: They scout the area, capture pictures and send them to a rescue center
- Network constraints prevent sending all pictures

Problem: Data Selection to Maximize Coverage



Flooding on State St.

Structural damage on Pier Square





A Scheduling Approach: Coverage-maximizing Priorities

- Implement coverage-maximizing in-network prioritization for forwarding and storage
 - Objects are forwarded/dropped in a priority order aimed to maximize coverage of delivered content
 - Objects similar to previously forwarded ones get lower priority
 - Challenge: Forwarding and dropping must be made aware of the degree of semantic redundancy (i.e., similarity) between objects

Project Ideas: Robustness in Human-centric CPS



- Ensure Robustness of:
 - Underlying physical resources: A set of inter-dependent resource networks (e.g., for data transport, power, and physical mobility)
 - Data communication and storage resources: A digital plane that offers routing, storage, and capacity to access raw data
 - Information resources: Information filters for assessing quality of information and for filtering higher-quality information from raw data
 - Inference processes: Tools for modeling, estimation, and prediction of latent variables relevant to decision support

Failures in Complex Systems



When systems fail, a common goal is:

Localize and fix the root cause!







Complexity Reduction: Simplifying Dependencies

Reduce interactions and coupling

Reduces propagation of local failures globally



Tightly coupled



Less coupled

The Performance/Robustness Trade-off



Performance: Exploring the edge of stability with global knowledge (global → more dependencies)

Robustness: Guaranteeing delivery in the face of adverse conditions and limited knowledge



Interactive Complexity in Cyber-Physical Systems

Performance optimizations lead to:

- \rightarrow Complex interactions (e.g., global versus local)
 - \rightarrow More dependencies
 - \rightarrow Deeper cascading failures
 - \rightarrow Lower robustness



Cascading failure on "high-performance" road



Non-cascading failure on side-street

Achieve both Performance and Robustness *together* ? The Simplex Architecture (by Lui Sha)

A simple verifiable core; diversity in the form of 2 alternatives; feedback control of the software execution.

