Password Cracking

eCrime and Internet Service Abuse +
Applied Cryptography
Combined Lecture

Let U be the set of users

And let p be the user's password

$$\forall u_i \in U$$
,

store $\{u_i, C_i\}$

where $C_i = E_p(Nonce)$

$$E_p(Nonce)$$

Does it work with hashed passwords?

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 vs. $H(p)$

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$$E_p(Nonce)$$
 vs. $H(p)$

- 1. Both take in a secret p and output a value indistinguishable from random
- 2. Both make it cryptographically hard to recover p

The attack will work on either method

We will use the H(k) notation today

Math

Let H() be a cryptographic hash function

Let P be the set of all possible passwords.

Let p_i be a password from the set P.

Let
$$h_i = H(p_i)$$

Let H be the set of the corresponding h_i for all p_i

$$|H| == |P|$$

Hash Table

```
For every p<sub>i</sub> in P:

Compute & Store h<sub>i</sub>
```

Time complexity to generate: $\Theta(|P|)$

Time complexity to lookup: $\Theta(\log(|P|))$

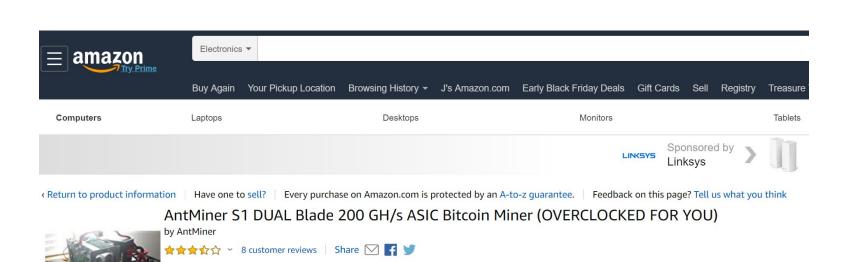
Space complexity: $\Theta(|P|)$

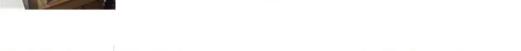
How big is |P|?

Consider an exactly 7-character password with upper and lower case letters.

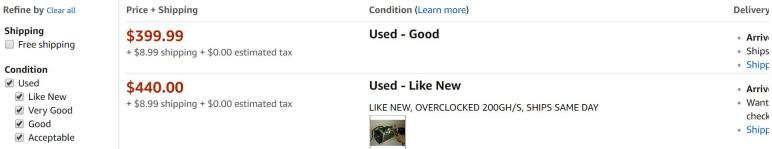
Permutation(48,7) = 587,068,342,272

How long would it take to generate every SHA-256 hash?





Compare: Offers for this product Offers for this product and similar products



How big is |P|?

Consider an exactly 7-character password with upper and lower case letters.

Permutation(48,7) = 587,068,342,272

200Gh = 200,000,000 hashes per second

P(48,7)/200Gh = ~50 Minutes on a \$400 machine

How big is |P|?

Consider an exactly 7-character password with upper and lower case letters.

Sha-256 hash = 32 bytes

32 bytes * |P| = 17 TB

Can we trade lookup time for storage reduction?

Define a reduction function R that maps from hash-output space back into P.

For each chain, select a random p_i from P as your starting point.

Chain_i = $[p_i \rightarrow R(H(p_i)) \rightarrow \{repeat t times\} \rightarrow final_value]$

Repeat until you have coverage.

Reduction Function

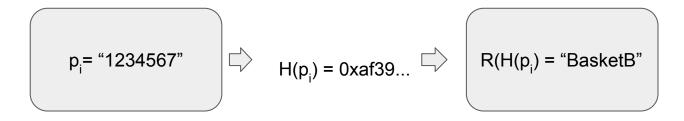
Its input is the output of a hash function: 0x59ae5403928df849394...

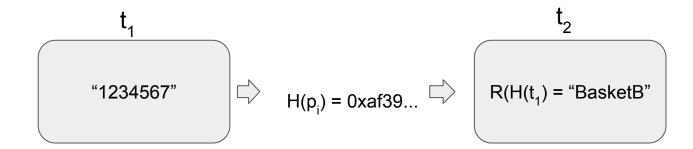
Its output is a string that is a possible password: "a#2%33pq"

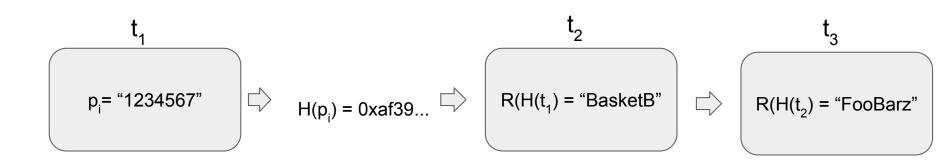
Simple example, treat the last 7 bytes of the hash as ascii.

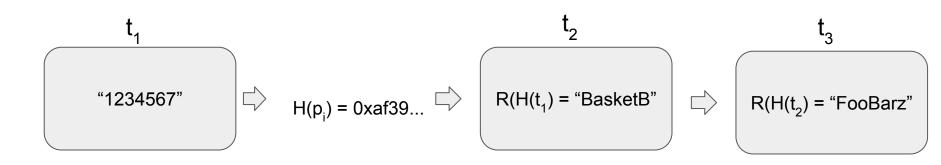
p_i= "1234567"











*If I store t₁ then I can re-compute the whole chain.

*If I store t_n (the last link) then I can check if any password is in the chain.

Start with a hash - apply R() to it and see if it matches any of the stored end-links

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Keep applying R(H()) up to n times (the number of links in the hash chains) and checking if the result matches any of your stored end-links

If you find a match, the true password lies in that chain.

If you never see a match, your chains do not contain the answer.

Collisions

Hash chains collide when they contain duplicate values.

Once two chains have a duplicate value, all subsequent values must also be the same. They will contain duplicate information.

The greater coverage of P you try to get, the more collisions will happen.

There can also be cycles within a single chain.

Choosing a Smart Reduction Function

- -Avoid Cycles/Collision
- -Map to likely values in P
- -Different Reduction Function for each chain

Rainbow Tables

Build a series of unique reduction functions R_i applied at t_i on the chain.

Collisions will diverge unless they are collisions in the exact same step on the chain. Collisions are |R| times less likely to occur.

Salting

Hash(Password|Salt)

Dilutes the value of pre-computed tables

Why Not Just Ask Nicely?

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To: you@gmail.com

Re: Dan from Google - Your Account

Your google account has been {penalty} for {reasons}!

Sign in here to fix this urgent problem!

google.com

-Dan from Google Customer Support

Choose high-value accounts to crack.

Choose high-value accounts to crack.

Are you then safe if you are not a valuable target?

Choose high-value accounts to crack.

Are you then safe if you are not a valuable target?

Do you plan not to be a valuable target forever?

How good of random string generators are people?

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Please enter a password

-> afableyellow

How good of random string generators are people?

Please enter a password

-> afableyellow

Error: your password must contain at least 1 number and 1 special character

How good of random string generators are people?

Please enter a password

-> afableyellow

Error: your password must contain at least 1 number and 1 special character

-> afableyellow1!

Registration Complete

Smart Guessing

Dictionary words

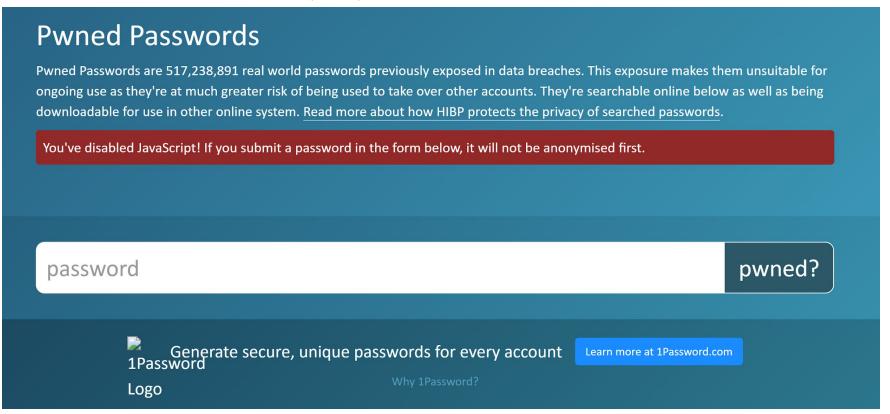
Dictionary words with substitutions

Keyboard patterns

Patterns (like number and special char at the end)

Leaked Password Lists

517,238,891 Leaked Passwords



https://haveibeenpwned.com

Password Crackers

HashCat

JohnTheRipper

Ophcrack

Aircrack

DavidGrohl

Can we avoid the server ever seeing the password?

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ZK{(password): H = H(salt, password)}

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But you have to reveal the salt as a public parameter

Attackers can start working on cracking tables for individual accounts right now!

$$ZK\{(pwd): H = H(H(pwd,H'(pwd)^b), pwd)\}$$

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X^b can be obtained by anyone for any X

The real prover sends H'(pwd) and gets back H'(pwd)b

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Attackers have to guess full entropy b before they can generate any lookup tables