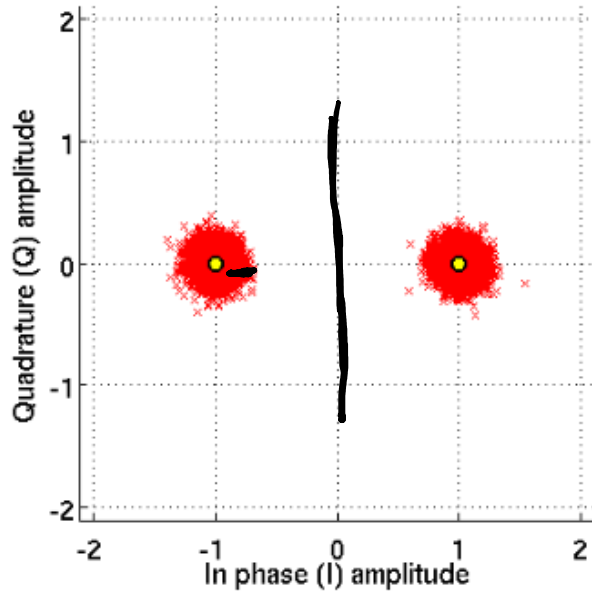


ECE 598HH: Advanced Wireless Networks and Sensing Systems

Lecture 6: Rate Adaptation & Soft Information Haitham Hassanieh

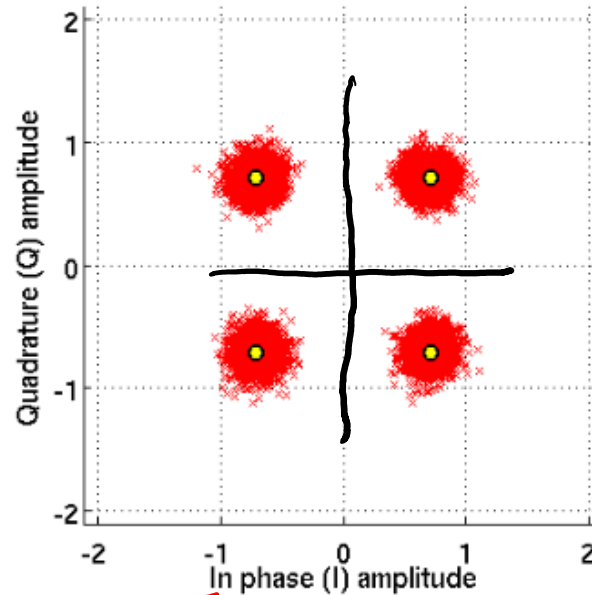
Modulation Schemes

Binary Phase-Shift Keying (BPSK)



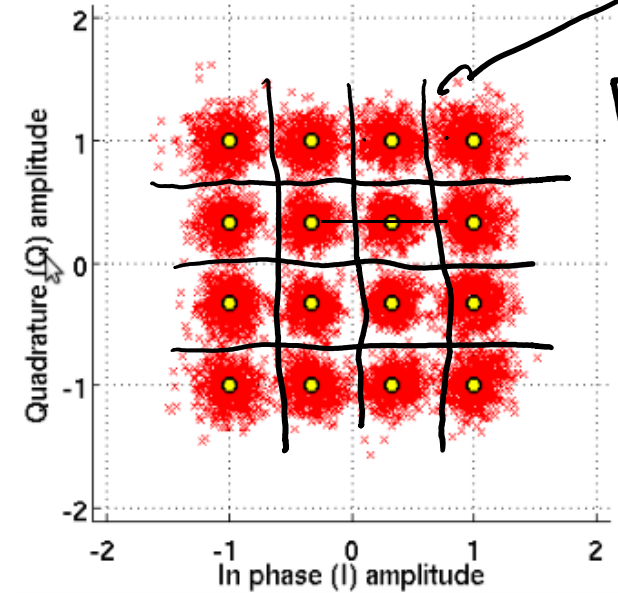
1 bit/value

Quadrature Phase-Shift Keying (QPSK)



2 bits/value

16-Quadrature Amplitude Modulation (16-QAM)

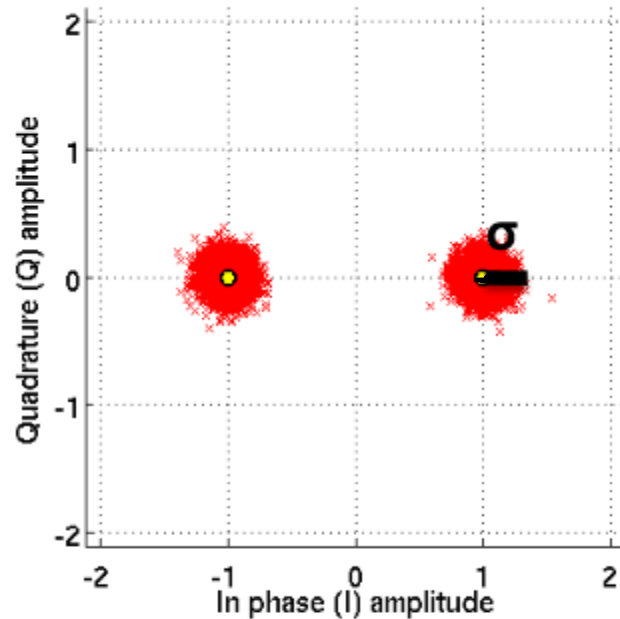


4 bits/value

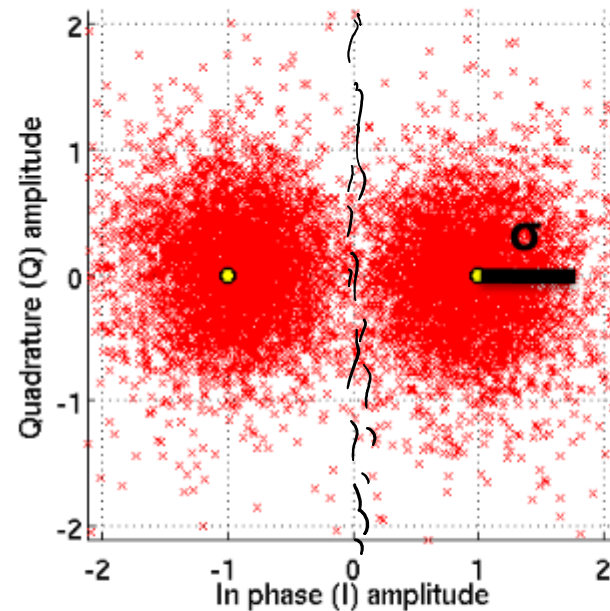
Data rate 4x higher.

Choice of Modulation

High SNR

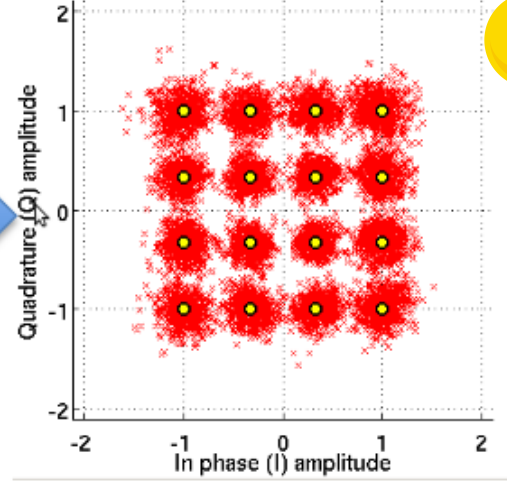
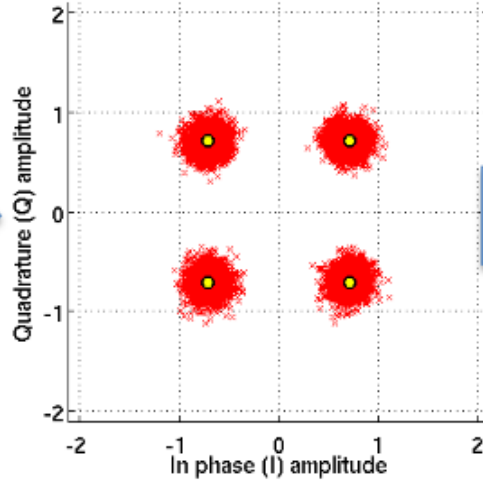
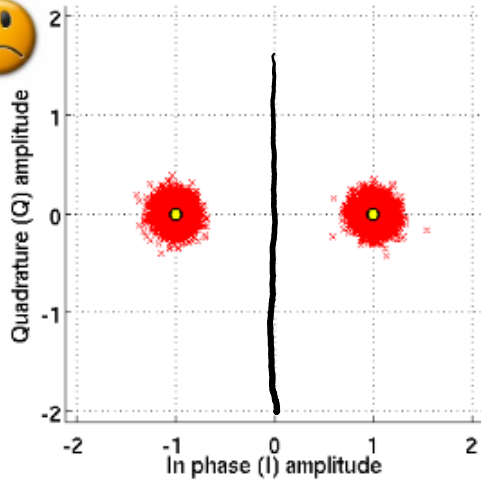
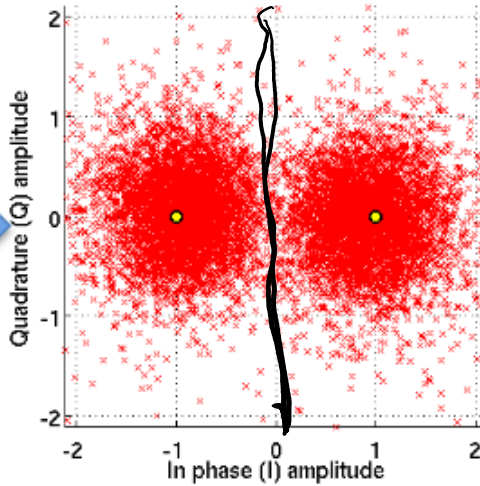
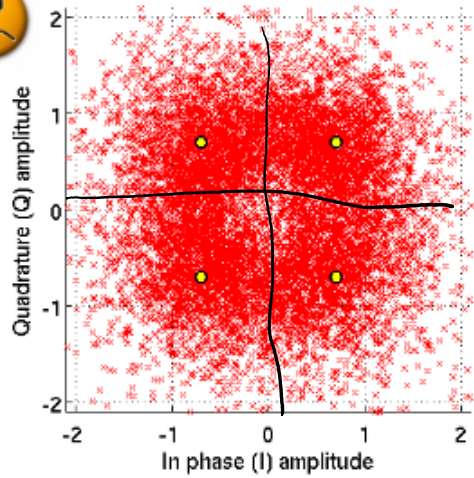


Low SNR

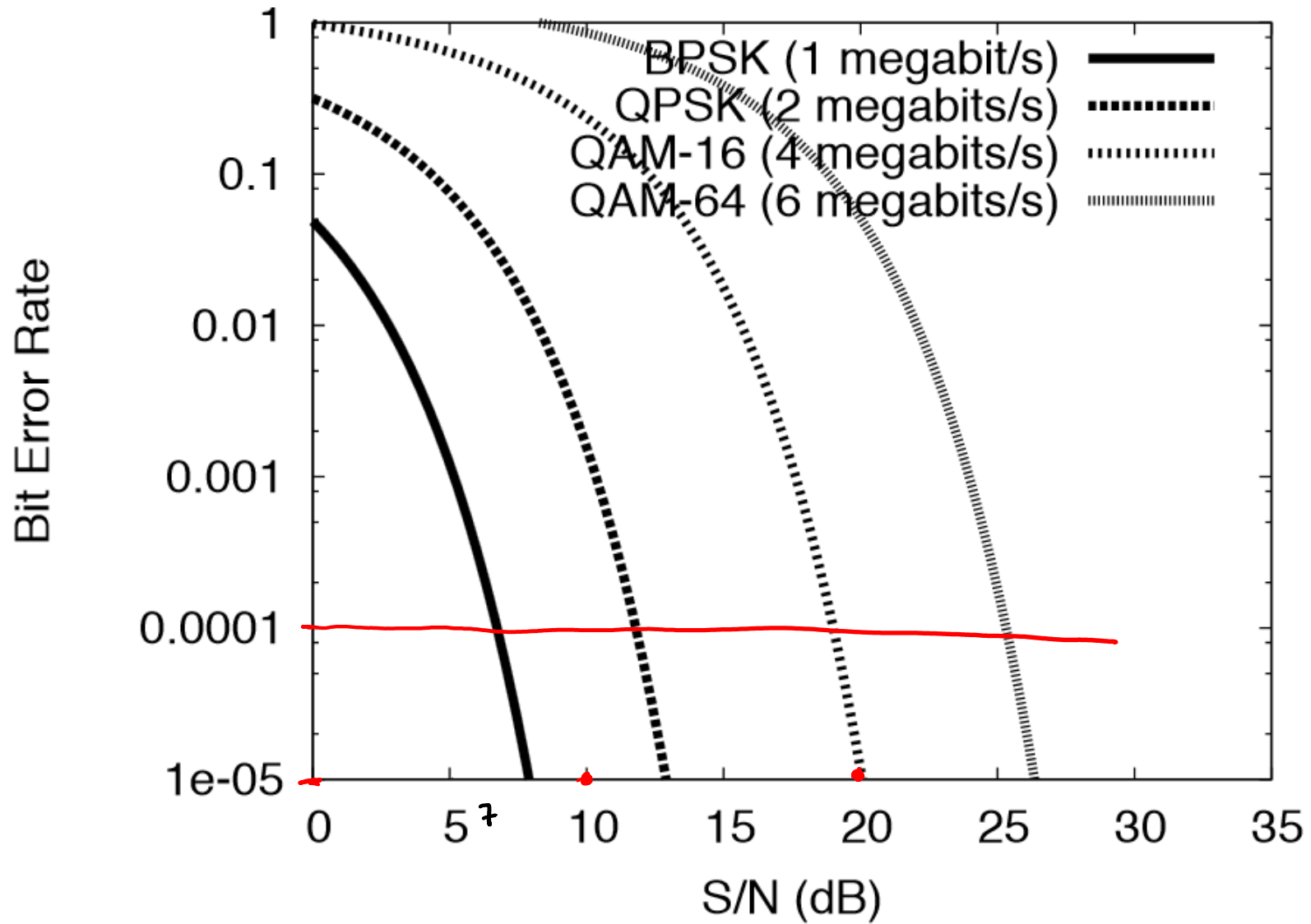


- Signal power normalized to 1
- Gaussian noise with std. dev. σ
- $SNR = 10 \log_{10} 1/\sigma^2 = -20 \log_{10} \sigma$

Choice of Modulation



BER vs SNR



Throughput vs SNR

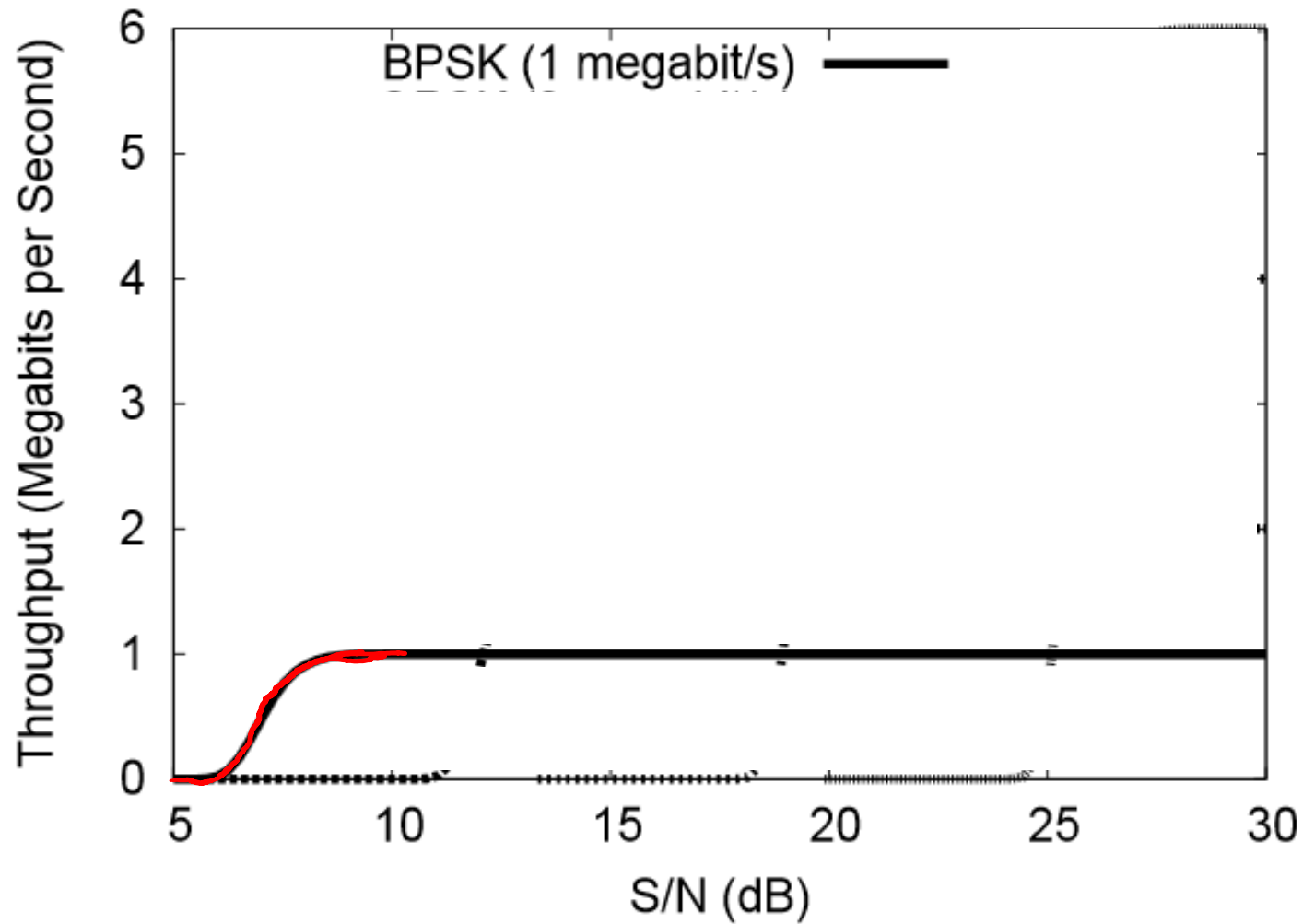
Data Rate = Bandwidth \times Bits/sample \times Code Rate

Capacity = Bandwidth $\times \log_2(1 + SNR)$

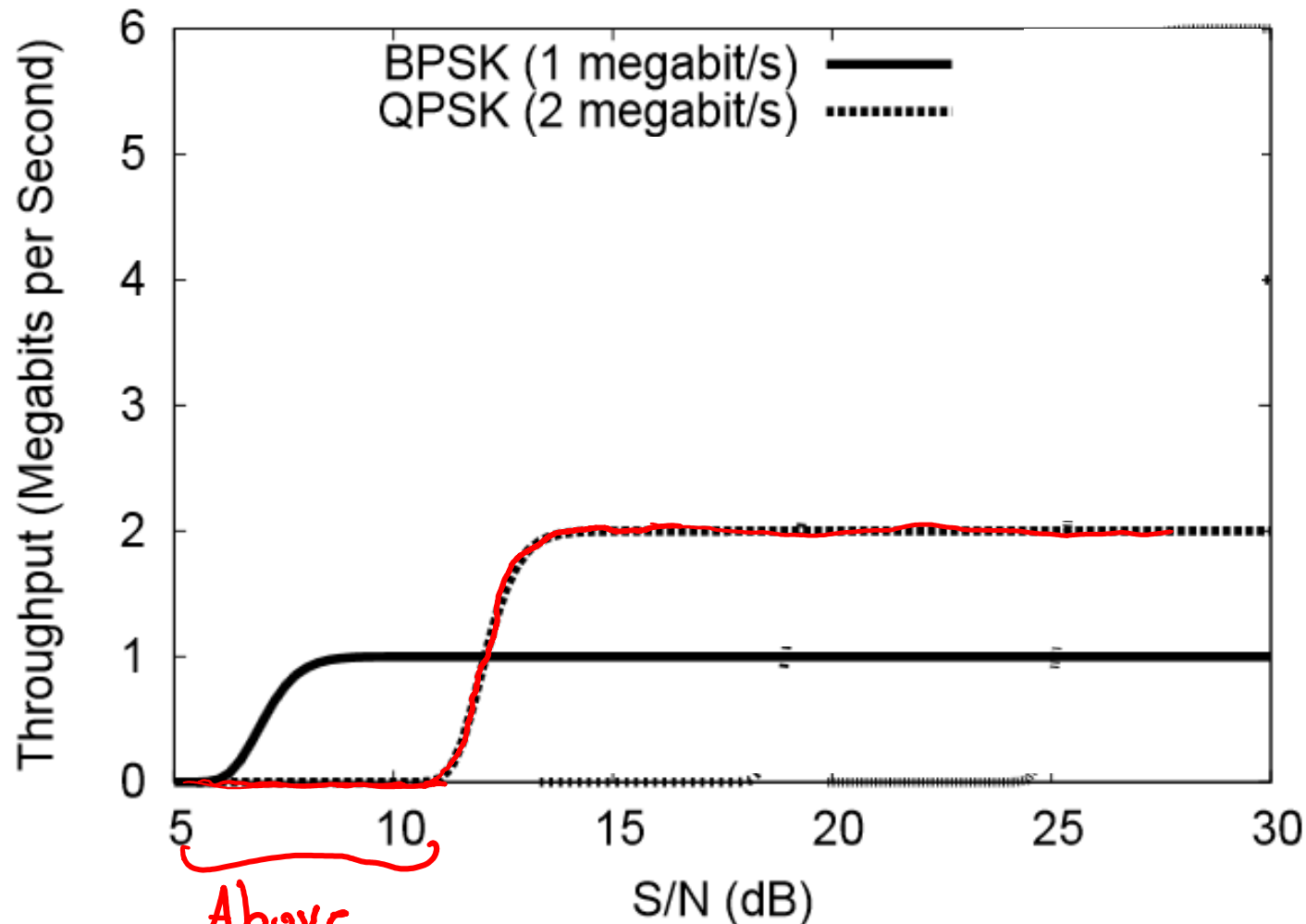
Throughput: number of bits correctly received per second

Throughput \leq Data Rate $<$ Capacity

Throughput vs SNR



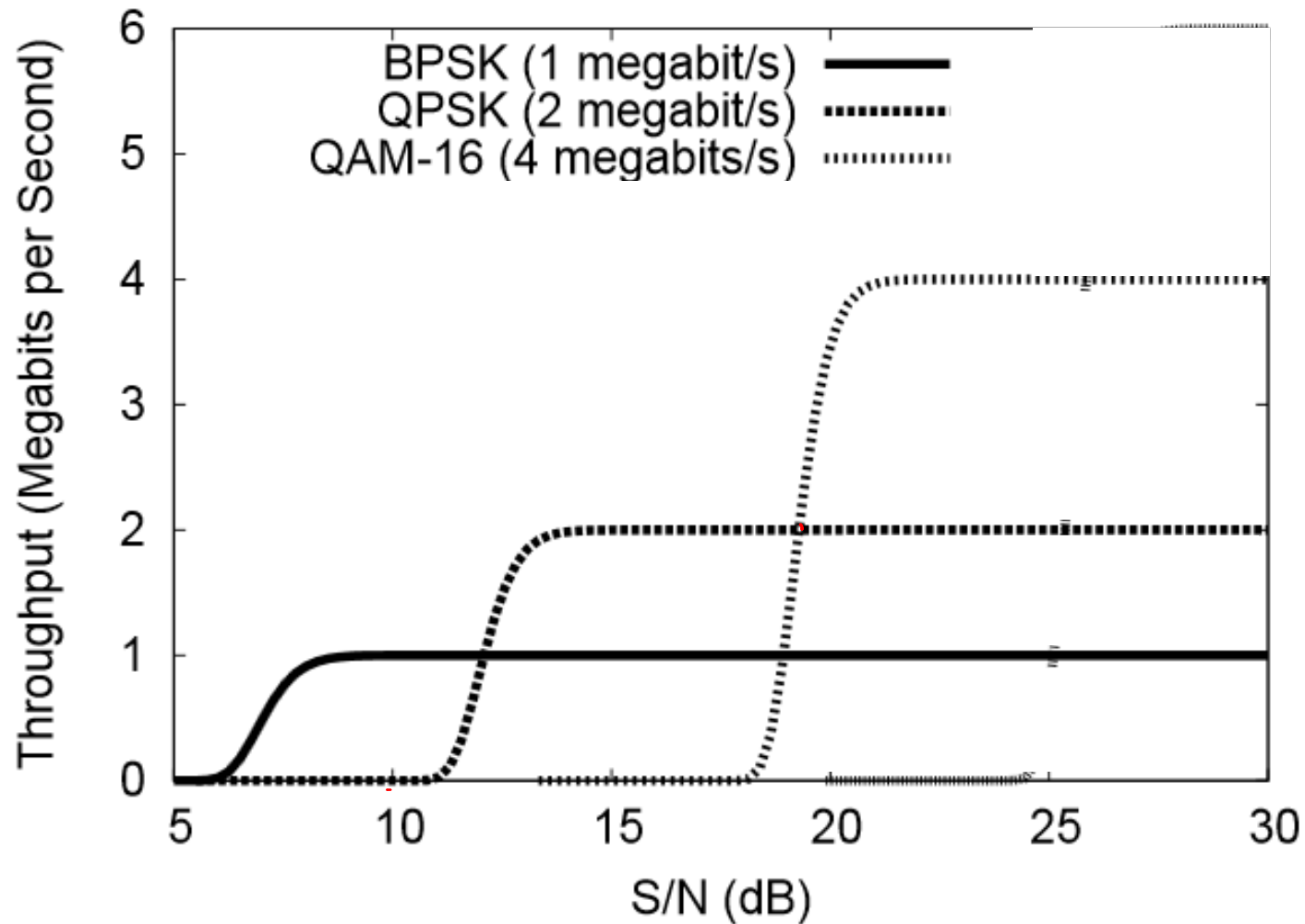
Throughput vs SNR



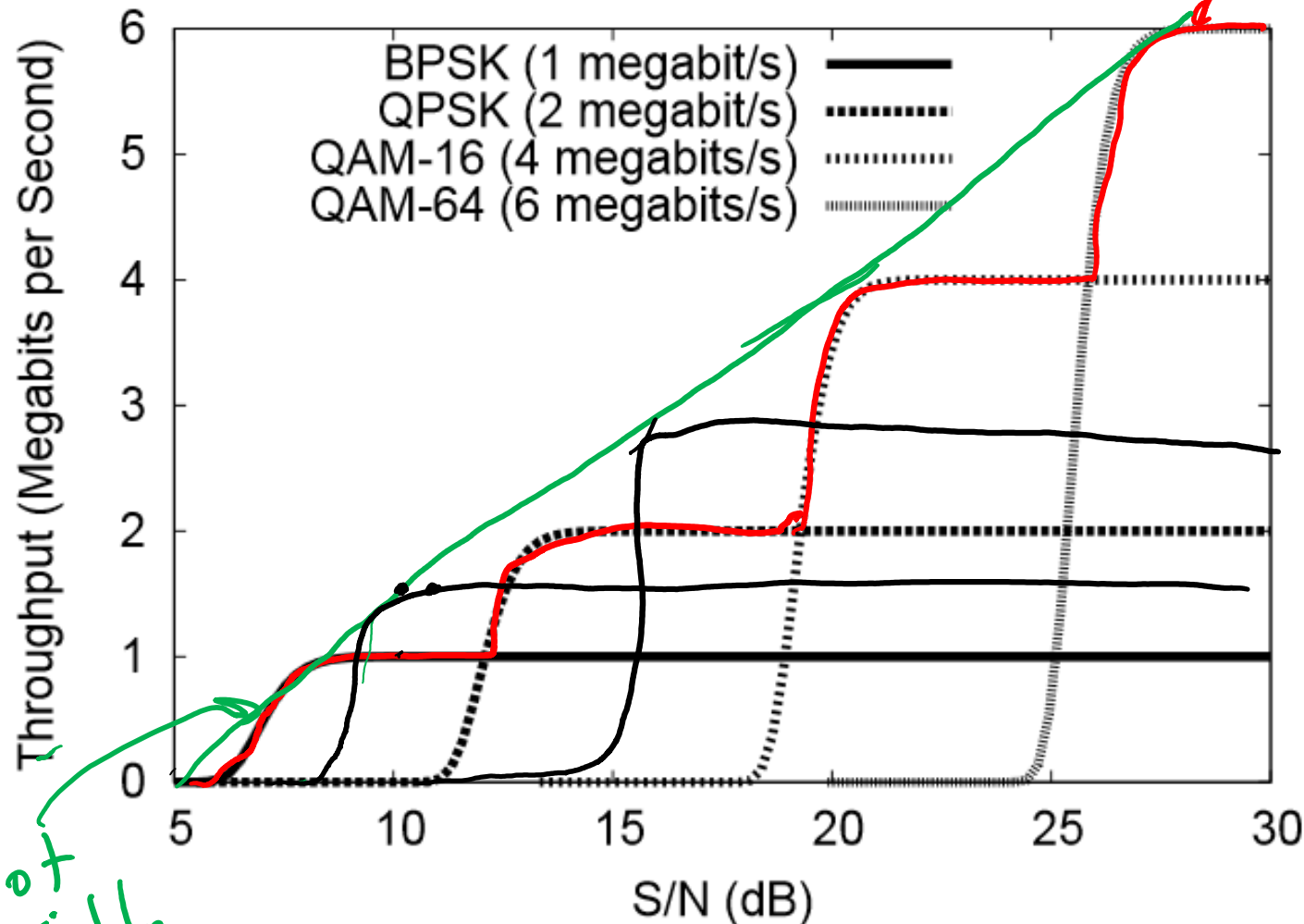
1 MHz
channel

Above
Capacity

Throughput vs SNR



Throughput vs SNR



goal is to be on this curve

Not possible in practice?

Cannot implement everything in hardware.

Rate Adaptation

Choose the best modulation and coding scheme that maximizes the throughput that can be supported by the channel.

Challenges:

- Few modulation and coding rates supported by standards/hardware → must choose for discrete set
- TX does not know the channel and noise at the RX before choosing the modulation & coding.

How to measure channel quality in Practice?

- Loss Rate:
 - keep track of ACKs received.
 - channel can change drastically!
- Throughput:
 - Success of a bitrate used \rightarrow maximizes exactly what we want.
 - Average over window? \rightarrow large window \Rightarrow good estimate
 \rightarrow small window \Rightarrow bad estimate.
- SNR:
 - Hard to measure
 - 802.11 gives us RSSI (Not very correlated with SNR)
- Probe Packets

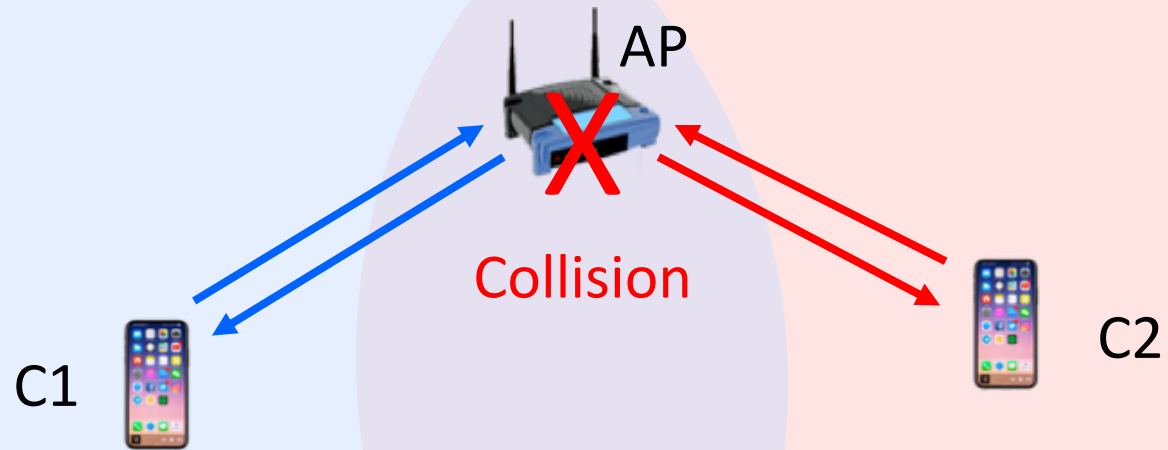
} Effective SNR!!

Rate adaptation is hard

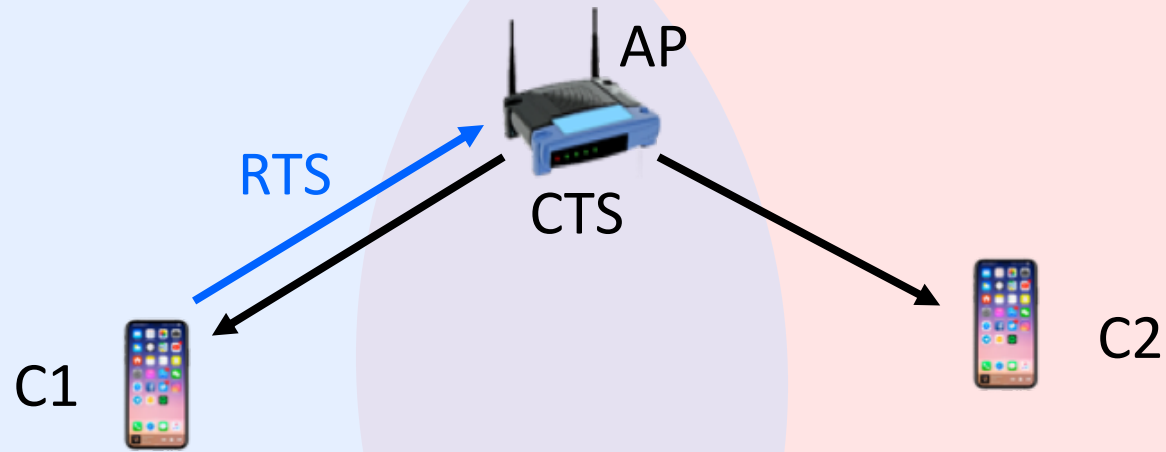
- Channel changes quickly
- Any metric:
 - Good estimate → Need many samples to average
 - Small number of sample before the channel changes. ⇒ *bad estimate.*
- Cannot tell difference:
 - Bad Channel & Noise: **Reduce bit rate**
 - Interference: **Do not reduce bit rate**

$$\text{Packet time} = \frac{\text{\# of bits/packet}}{\text{Data Rate}}, \quad \downarrow \text{bit rate} \Rightarrow \uparrow \text{packet time} \Rightarrow \uparrow \text{collisions}$$

Hidden Terminals



RTS/CTS and Hidden Terminals



Robust Rate Adaptation Algorithm

- Measure loss rate over 100ms window
 - Long enough to get good measurement
 - Short enough that the channel does not change.
- RTS/CTS has high overhead
- Adaptively uses RTS & CTS
 - Loss without RTS/CTS → more RTS/CTS
 - Loss with RTS/CTS → reduce RTS/CTS usage.

PPR: Partial Packet Recovery

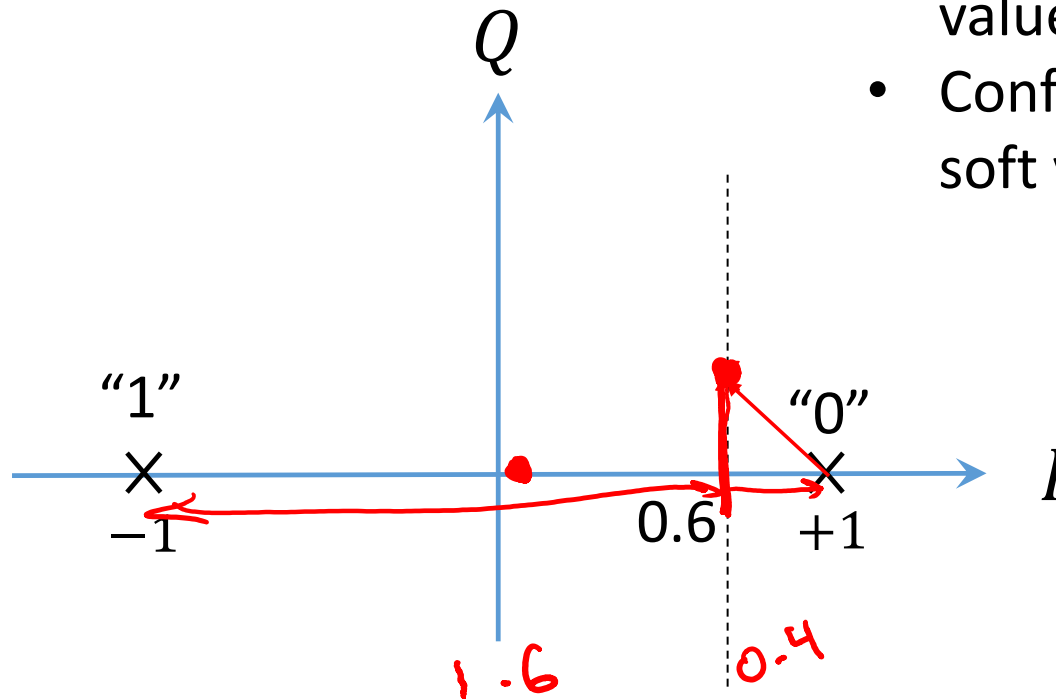
- Problem:
 - Fate sharing among bits
 - After FEC, even 1 bit error in packet
 - Checksum:
 - If it passes → accept packet.
 - If it fails → drop entire packet.
 - Huge waste because most bits are correct.

PPR: Partial Packet Recovery

- Solution:
 - Accept packets with errors and try to correct them.
 - Ask sender to retransmit the incorrect bits.
- How to tell which bits might have errors?
 - Soft values can be used as a confidence measure
 - PHY layer can say:
 - “looks more like a 1 bit”
 - “looks more like a 0 bit”

PPR: Partial Packet Recovery

- BPSK Example



Soft Value: 0.6

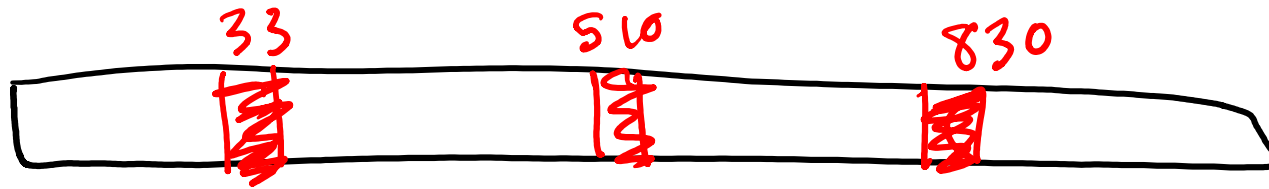
- How far it is from two accepted values of 0 and 1 bits.
- Confidence metric: inverse of soft value.

PPR: Partial Packet Recovery

- Soft Value is up to us to define
 - We are never sure the bits are in error
 - We are just hoping that our guess is reasonably correct.
- PPR uses Hamming distance:
 - Zigbee: low power, low complexity
 - Maps 4 bits to 32 bit code words (2^4 values to 2^{32} values)
 - Hamming distance: number of flipped bits between received code word and closest code word.

PPR: Partial Packet Recovery

- Retransmit bits that are in error

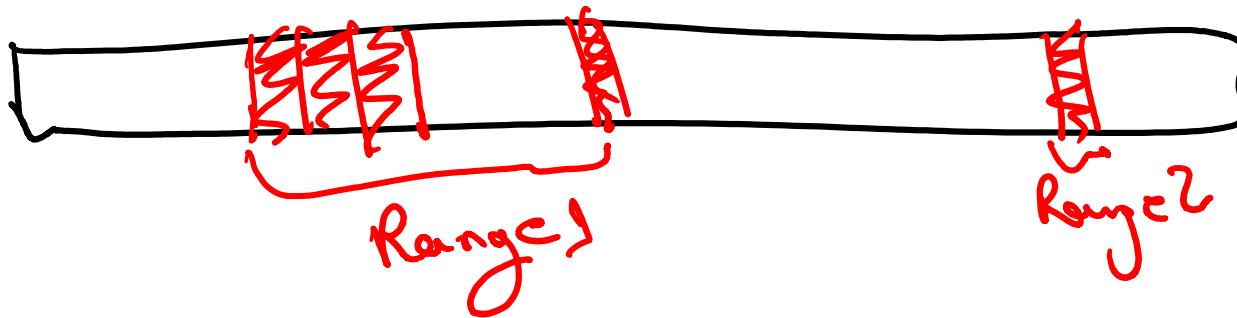


$2^{10} = 1024$ bit packet

* 10 bits for each wrong bit

* 3 bit errors \Rightarrow 30 bits

* 100 bit errors \Rightarrow 1000 bits X

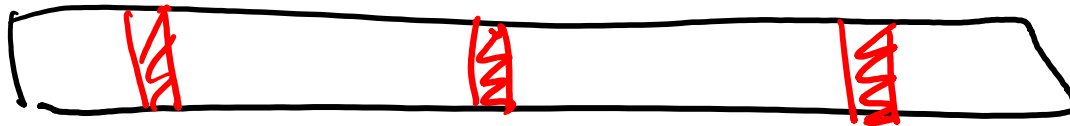


* PPR: Ask for a range of bits.

PPR: Partial Packet Recovery

- Bit errors are due to:

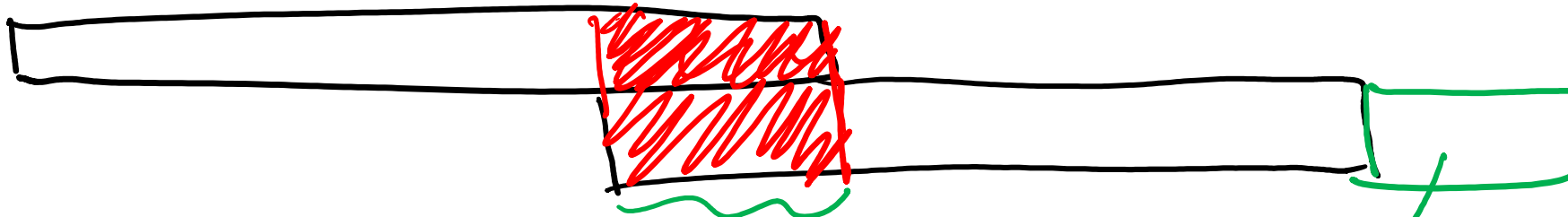
- Noise : errors are dispersed : Not ideal for PPR



- Collisions : errors are clustered!

TX1

TX2

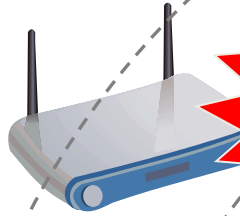


Ask only for range.

Postamble

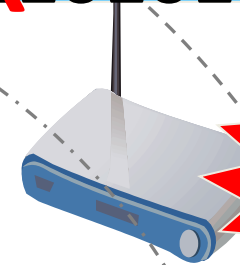
Scenario: Laptop in a Dead Spot

01010101111



Loss

0110101011011



Loss



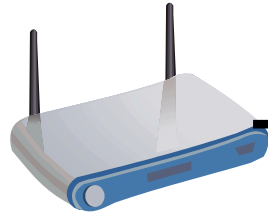
With Layer Separation
a few bit errors → persistent loss

But access points are
unlikely to have same bit
error

Scenario: Laptop in a Dead Spot

010101011111

0110101011011



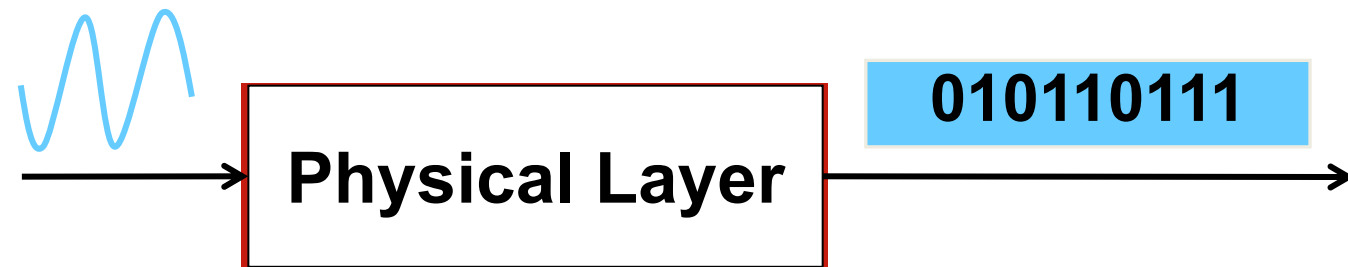
High-speed Ethernet



Solution: Cross-Layer Approach

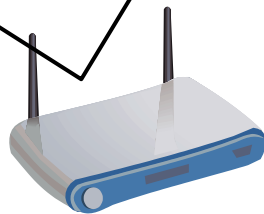
- Allow the layers to collaborate instead of acting separately
- PHY layer delivers partially correct packets
- Network layer combines correct bits across different access points to obtain correct packet

Solution: Network cooperates with physical layer

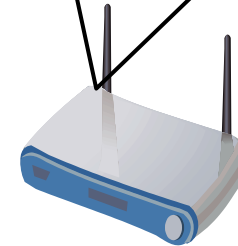


- Physical layer **already estimates a confidence** in its 0-1 decision
- If we expose this information to the network layer, we can compare bits in packets received at different APs

First bit is **“0”**
with **0.6 confidence**



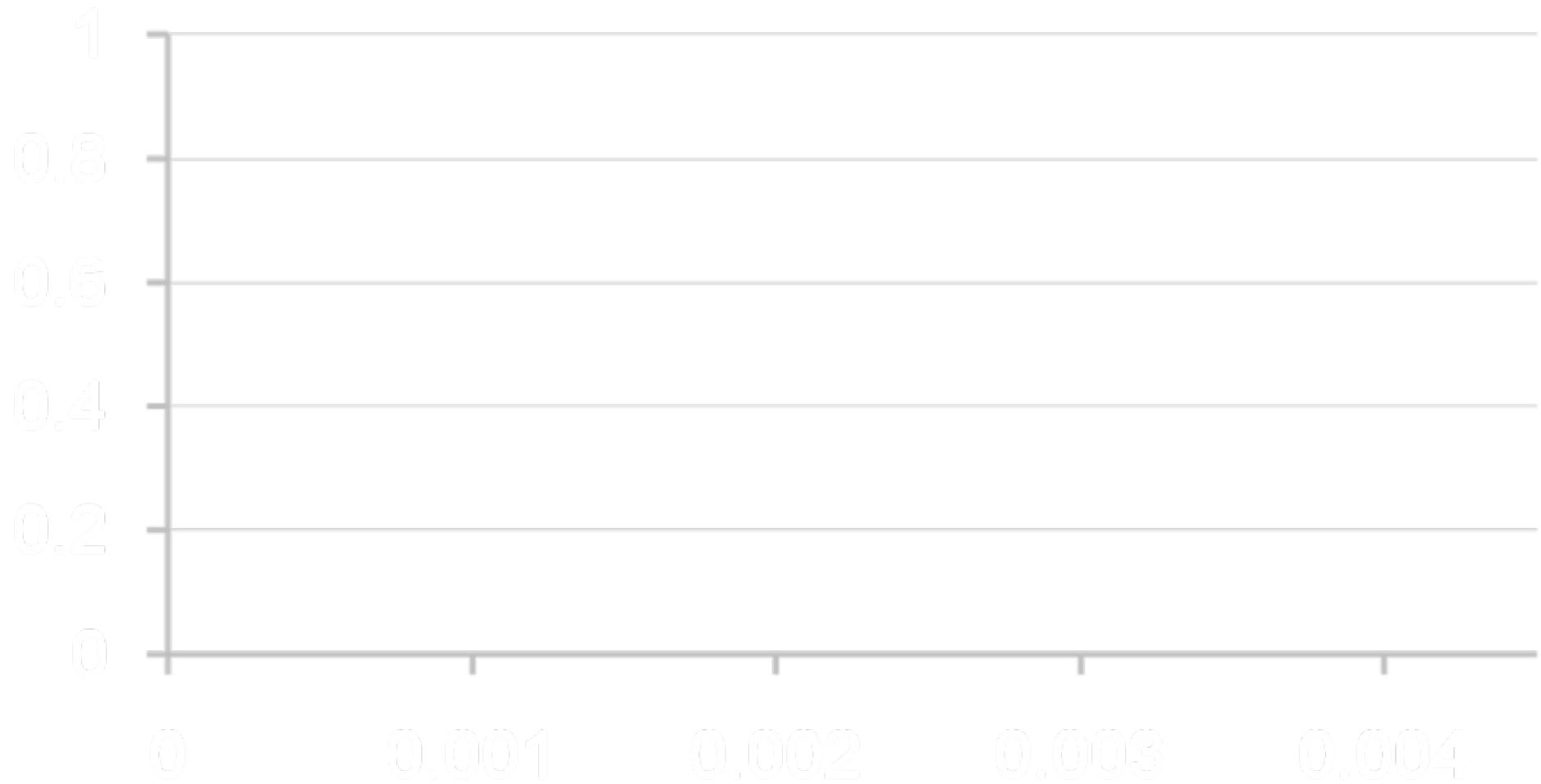
First bit is **“1”**
with **0.9 confidence**



- Assign to each bit the value that corresponds to a higher confidence

Experiment: Packet Delivery vs. Poor Coverage

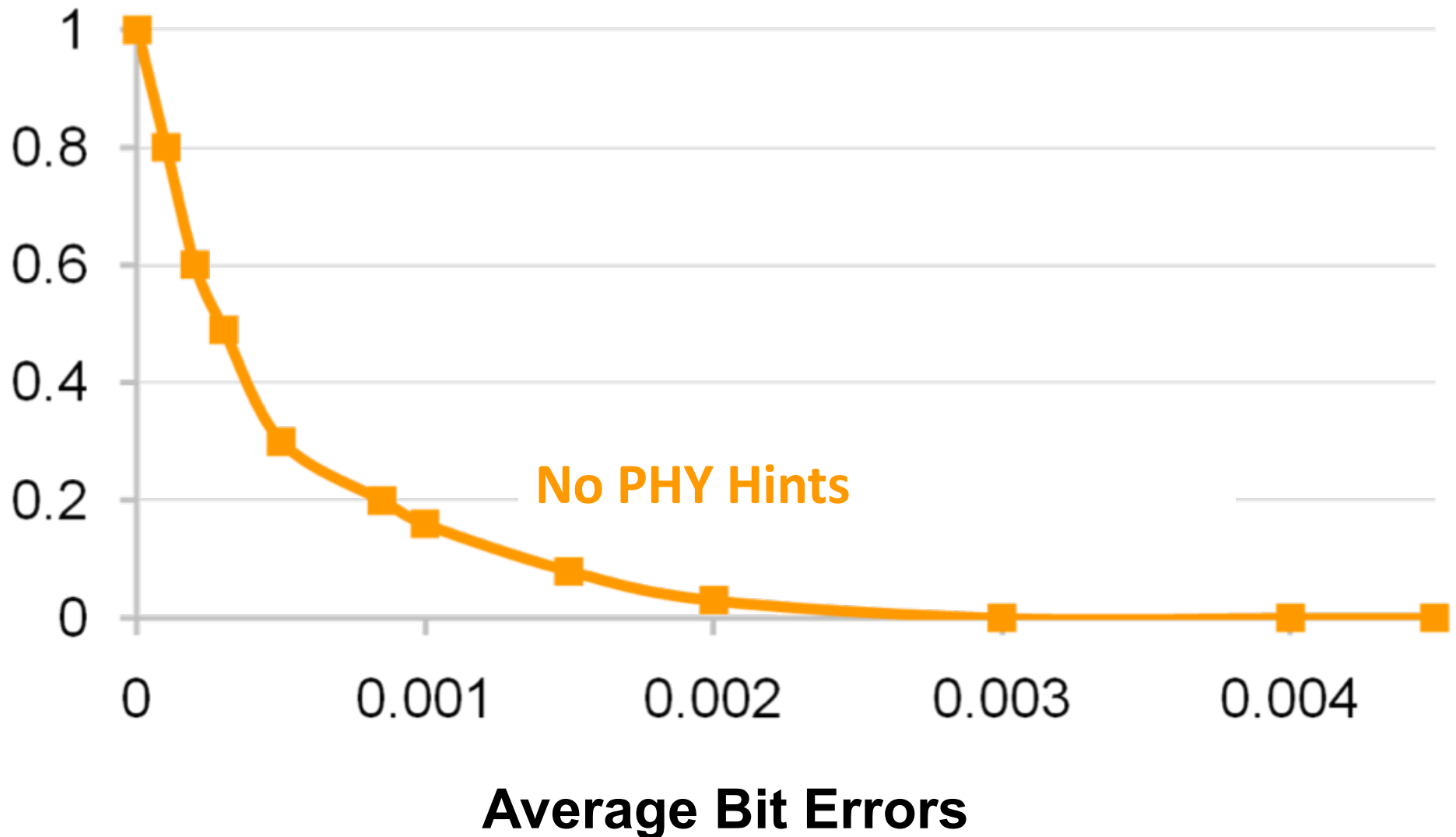
Fraction of Packets Delivered



Average Bit Errors

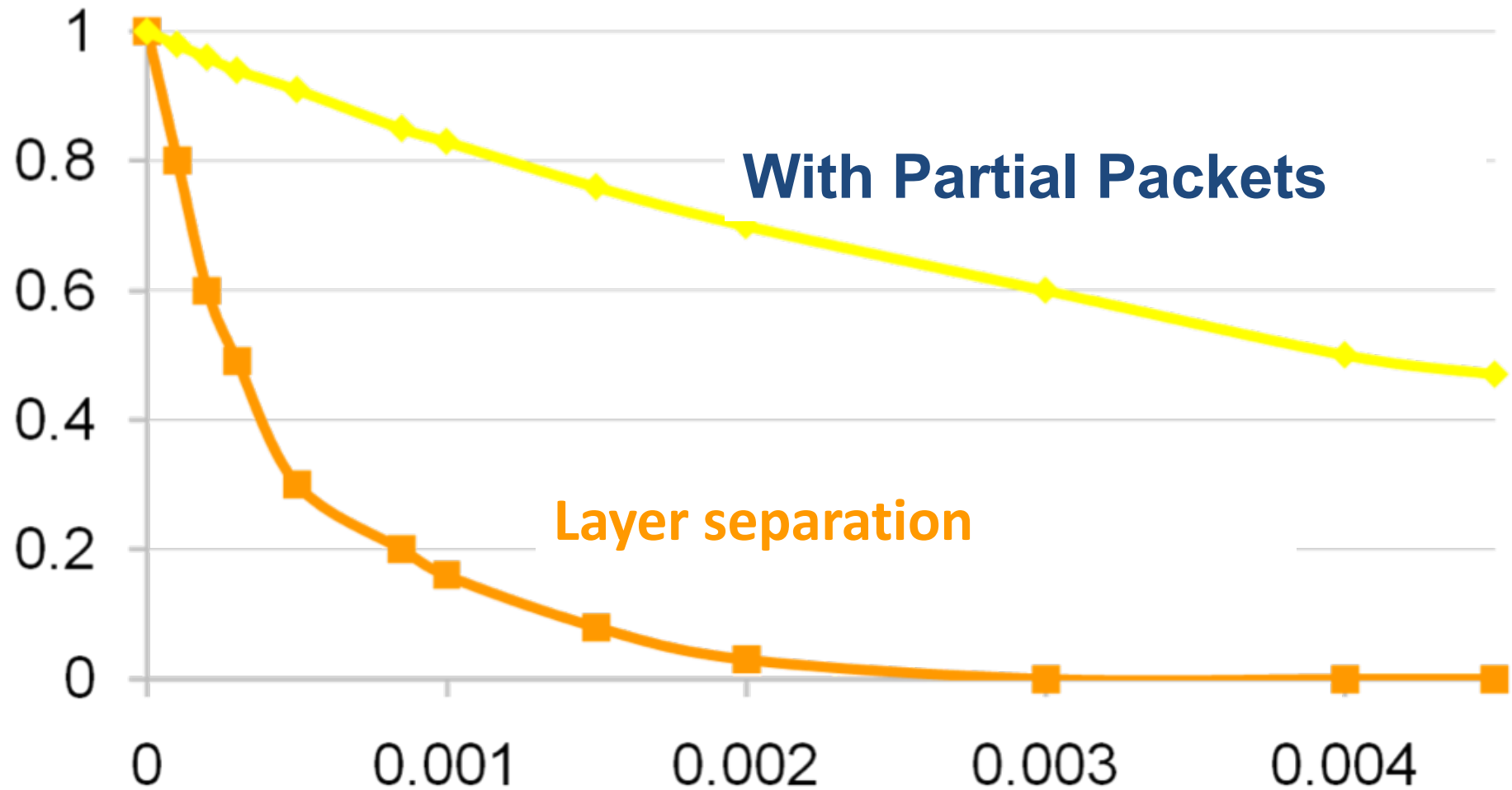
Experiment: Packet Delivery vs. Poor Coverage

Fraction of Packets Delivered



Experiment: Packet Delivery vs. Poor Coverage

Fraction of Packets Delivered



Average Bit Errors