

TAM 212 Class 24

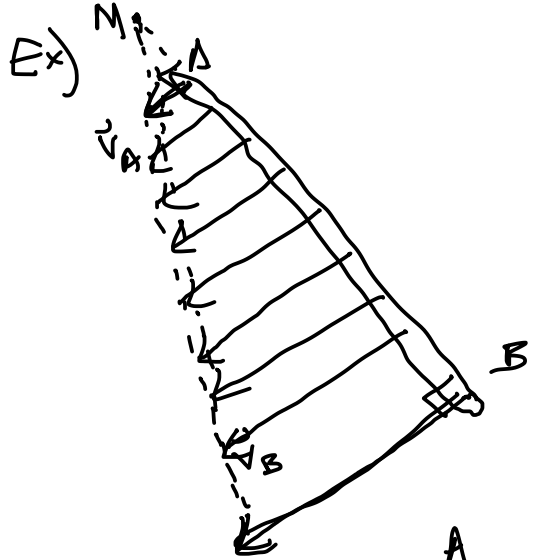
Instantaneous Center RB's in Contact

* Midterm 2 : April 9th

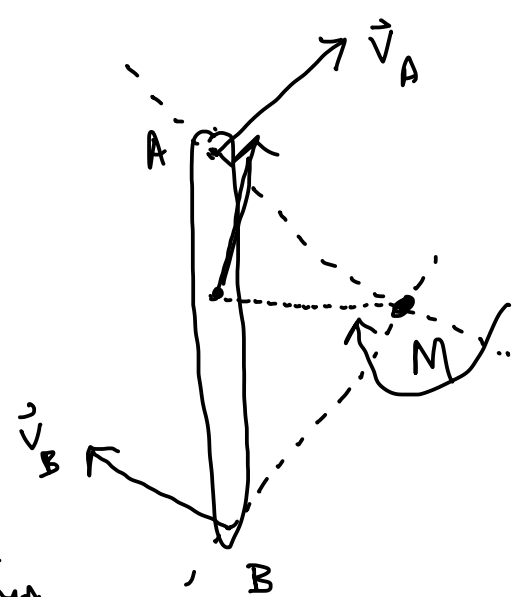
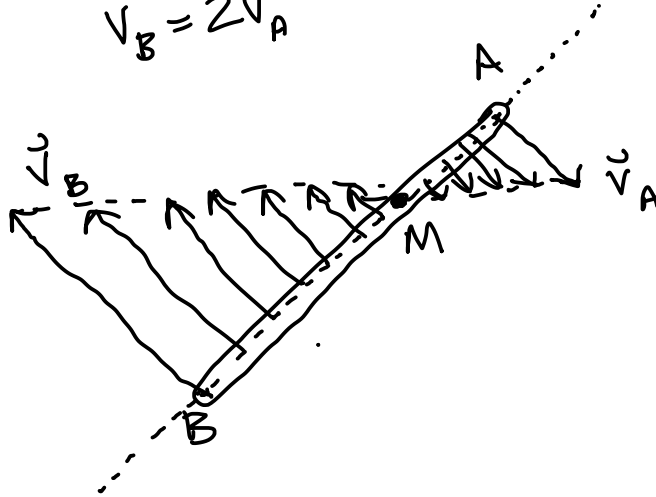
Final Exam : W May 13th 1:30-4:30

Review: Instantaneous Center of Velocity (IC) : the point that the RB is rotating about at that instant

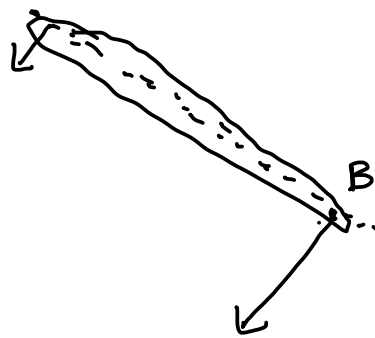
- ① The I.C. can be on or off the R.B. itself
- ② The I.C. can change during the motion (not nec. constant)



$$v_B = 2v_A$$

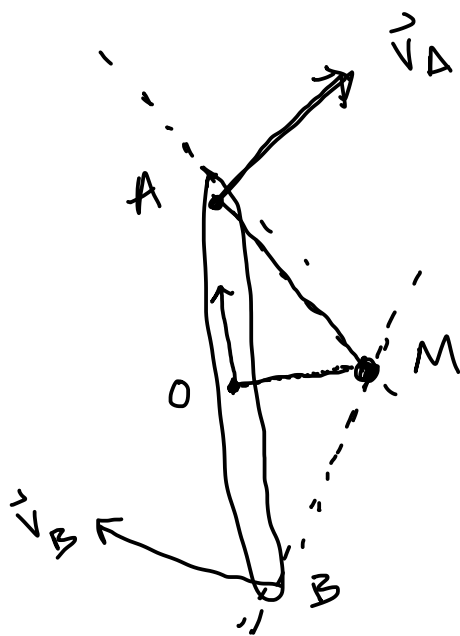


A



$$\vec{v}_A = \vec{\omega} \times \vec{r}_{MA} \Rightarrow \text{mag. } \underline{\underline{\omega r_{MA}}}$$

$$\vec{v}_B = \vec{\omega} \times \vec{r}_{MB} \Rightarrow \text{mag } \underline{\underline{\omega r_{MB}}}$$

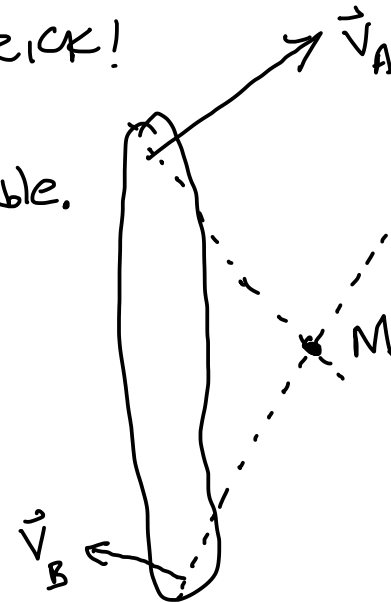


$$\vec{v}_A = \vec{\omega} \times \vec{r}_{MA}$$

$$\vec{v}_B = \vec{\omega} \times \vec{r}_{MB}$$

$$\vec{v}_O = \vec{\omega} \times \vec{r}_{MO}$$

Ex) TRICK!
Not possible.

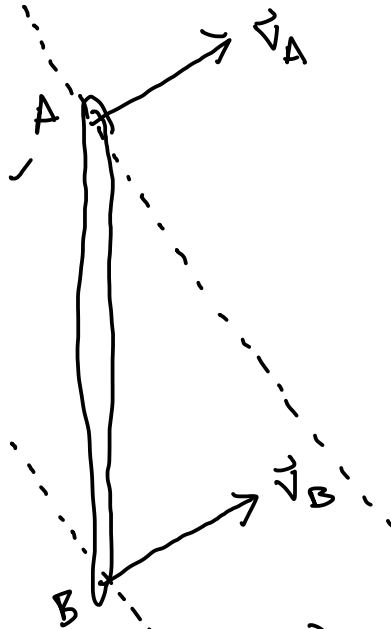


Mathematically if we try to find $\vec{\omega}$:

$$\vec{v}_A = \vec{\omega} \times \vec{r}_{MA}$$

$$\vec{v}_B = \vec{\omega} \times \vec{r}_{MB}$$

Ex)

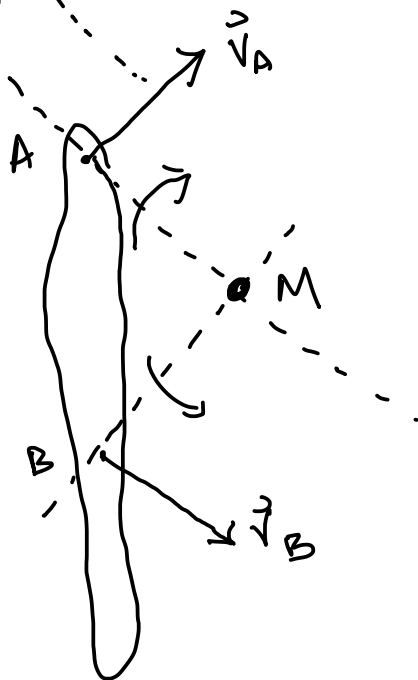


$$\vec{v}_A = \vec{v}_B$$

$$\vec{\omega} = 0 \hat{k} \text{ rad/sec}$$

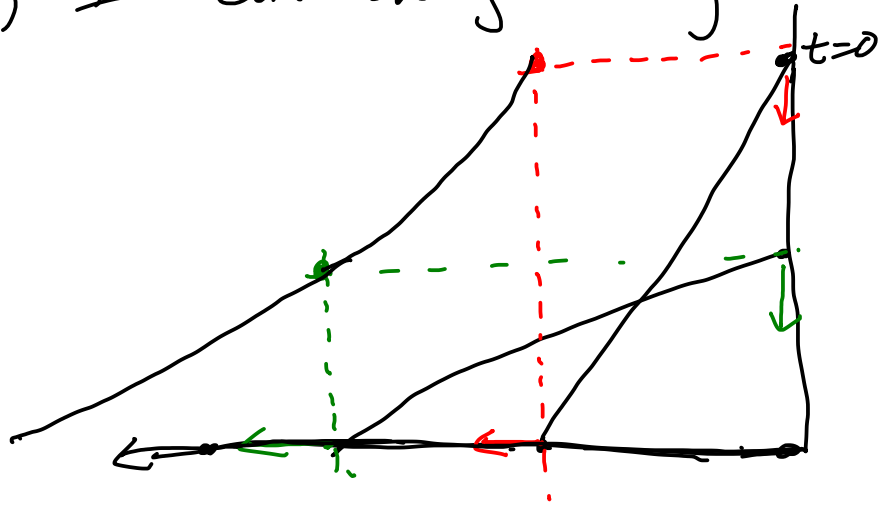
pure translation

Ex)



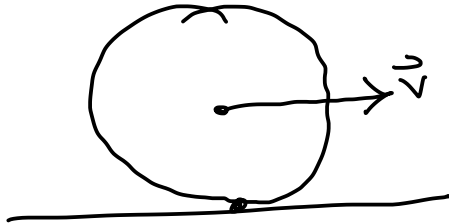
Not possible.

Ex) IC can change during RB motion

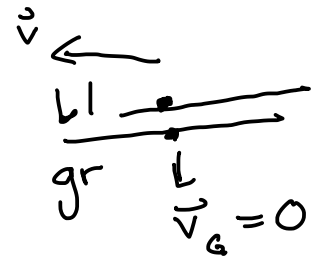
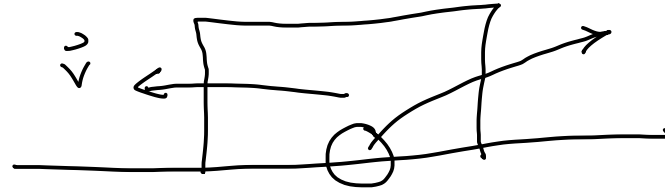


Rigid Bodies in Contact

ex) rolling wheel

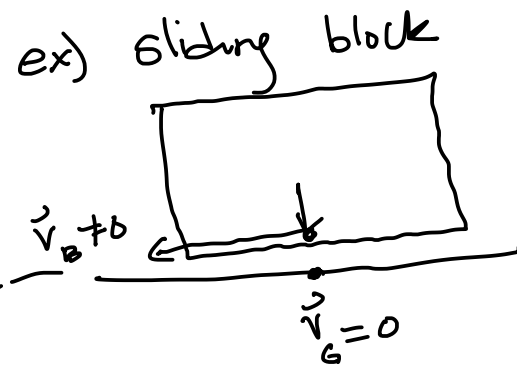


ex) sliding block



Generally two types of contact are possible

(A) slipping: the velocity of any two points in contact are different from each other



Notice how the components of $\vec{v}$

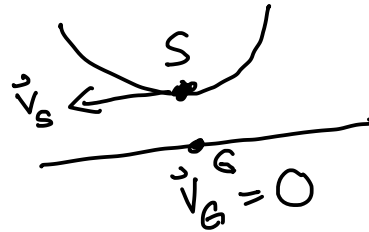
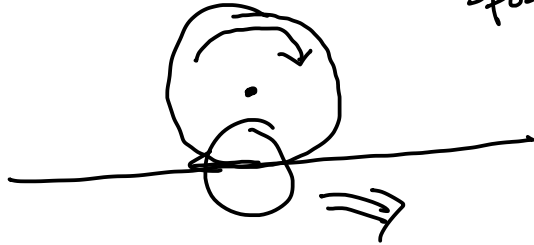
① normal to the path = 0
for both $\vec{v}_G, \vec{v}_B$

② tangential components can differ



another example of slipping:

Spool spins on the ground, no forward progress



① idicker: the normal component of the acceleration vector at point S is the same as at point G

A) TRUE

B) FALSE